

# **Optical Lithographic Performance and Resolution Using Strong Dark-Field Phase-Shifting of Discrete Patterns**

John S. Petersen and David J. Gerold  
Petersen Advanced Lithography, Inc.  
8834 N. Capital of Texas Highway, #304, Austin, TX 78759

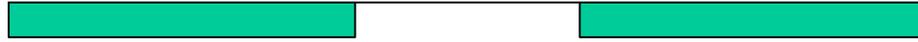
[www.advlitho.com](http://www.advlitho.com)

[jpetersen@advlitho.com](mailto:jpetersen@advlitho.com)

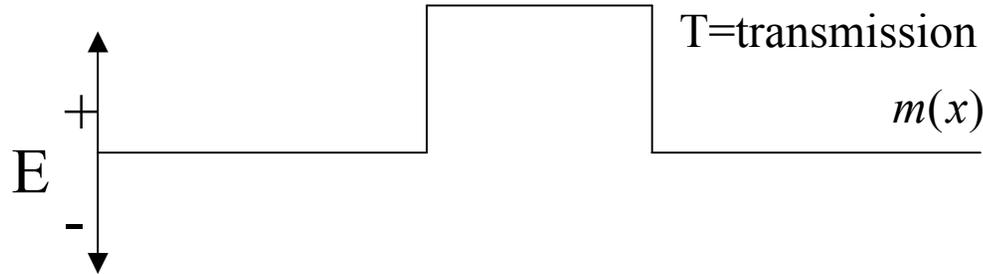


# Isolated Space

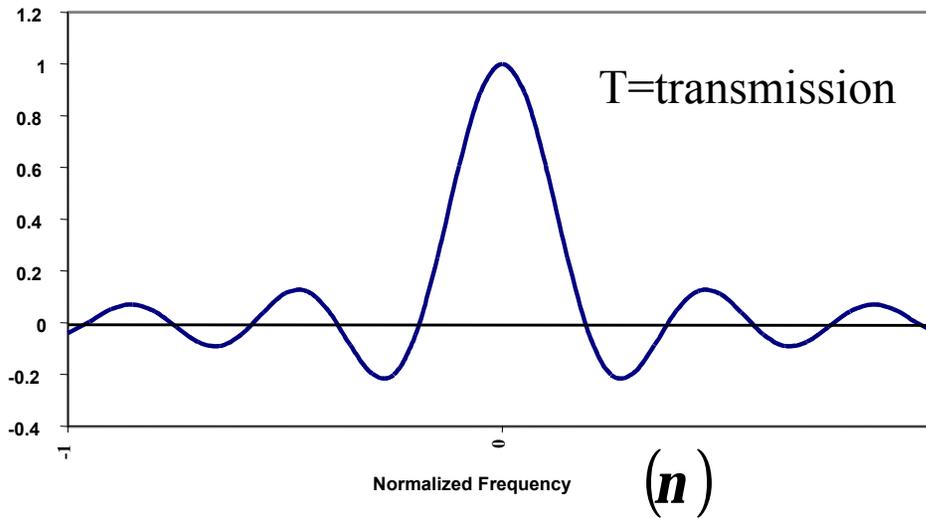
Mask



Mask Plane



Fourier Plane



$$m(x) = \text{rect}(x)$$

$$F\{m(x)\}$$

$$\text{sinc}(x) = \frac{\sin(x)}{x}$$

$$M(\mathbf{n}) = F\{m(x)\} = \int_{-\infty}^{+\infty} m(x) e^{-i2\pi\mathbf{n}x} dx$$

# Common Optical Extension Techniques

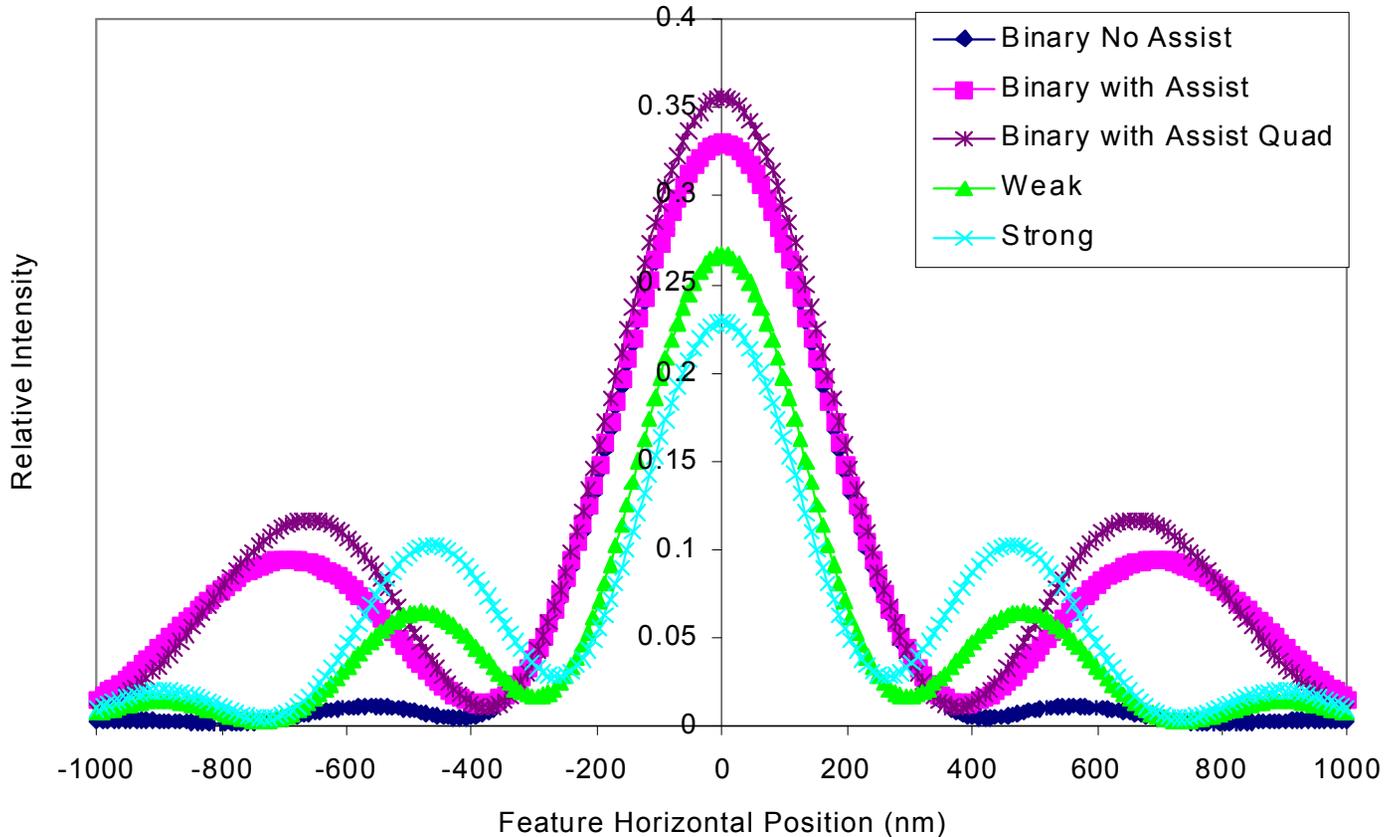
Technique	Challenge
<b>Binary assist features with off-axis illumination</b>	<b>Older steppers can't use off-axis illumination</b>
<b>Dark-field, weak phase-shift with positive resist</b>	<b>Limited Exposure-Focus Latitude</b>
<b>Phase-edge lithography</b>	<b>Requires negative resist—supply and control problems</b>
<b>Shorter exposure wavelength and chemically-amplified resists</b>	<b>Requires airborne-base free environments and full track-exposure tool integration</b>

**Alternatively use GaAsMask™**

# GaAsMask™ Technology

- ◆ Uses “strong” phase-shift with sub-resolution assist features to shape the primary feature’s diffraction pattern.
- ◆ Minimizes “zero order” amplitude, leaving two beams of light at the pupil plane to interfere and reconstruct the feature’s image.
- ◆ Two-beam interference improves depth-of-focus (DOF) because so long as the beams maintain spatial and temporal coherence, the phase relationship required to create the image is maintained.
- ◆ Can be used with on-axis illumination (older exposure tools) and positive resists.

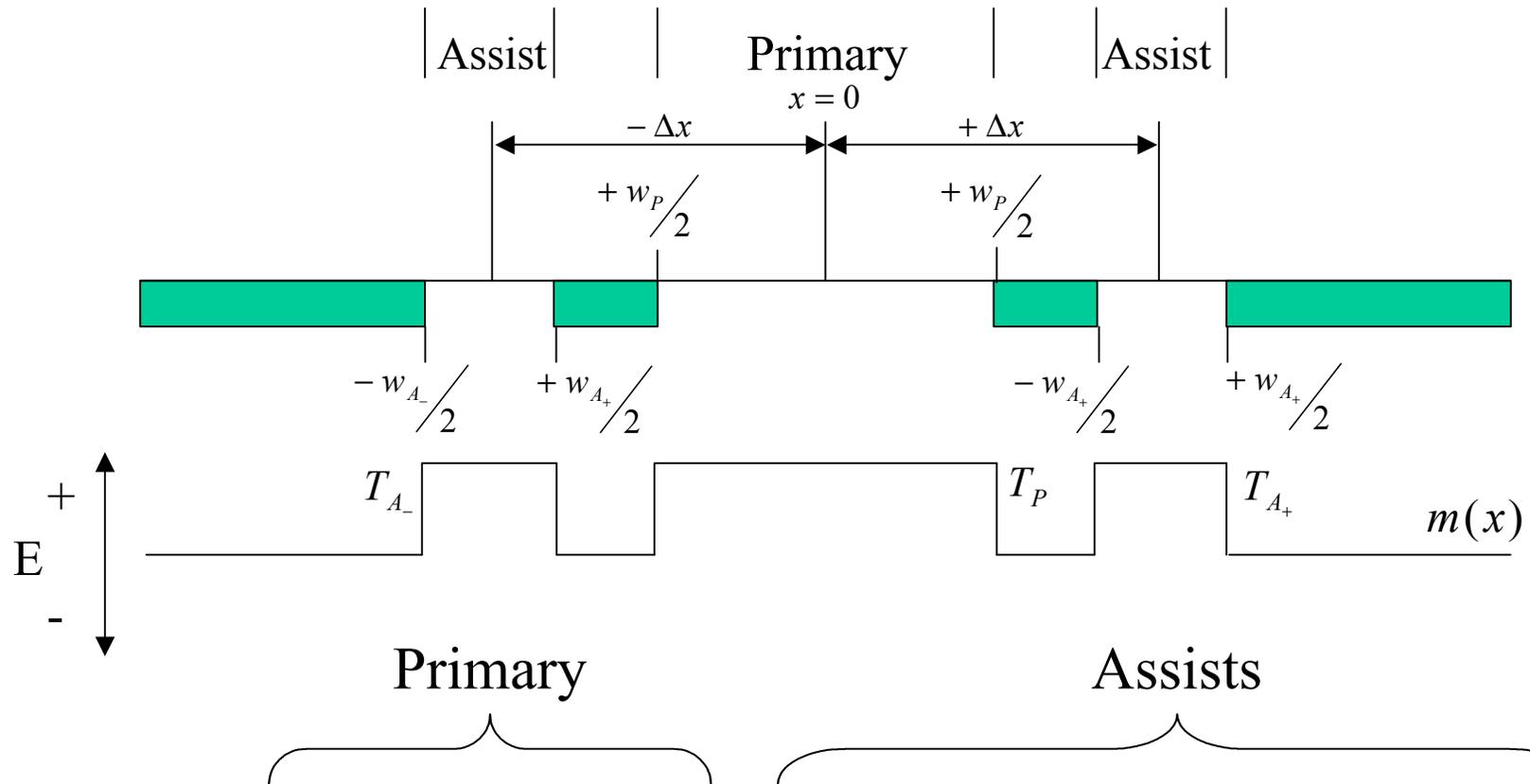
# Aerial Image



Strong phase-shift mask has lowest intensity and narrowest image width.

# Fourier Transform

For a Binary Mask with Assist Features:



$$F \{m(x)\} = T_P w_P \text{sinc}(p m w_P) + 2 T_A w_A \cos(2 p n \Delta x) \text{sinc}(p m w_A)$$

# Phase-Shifting

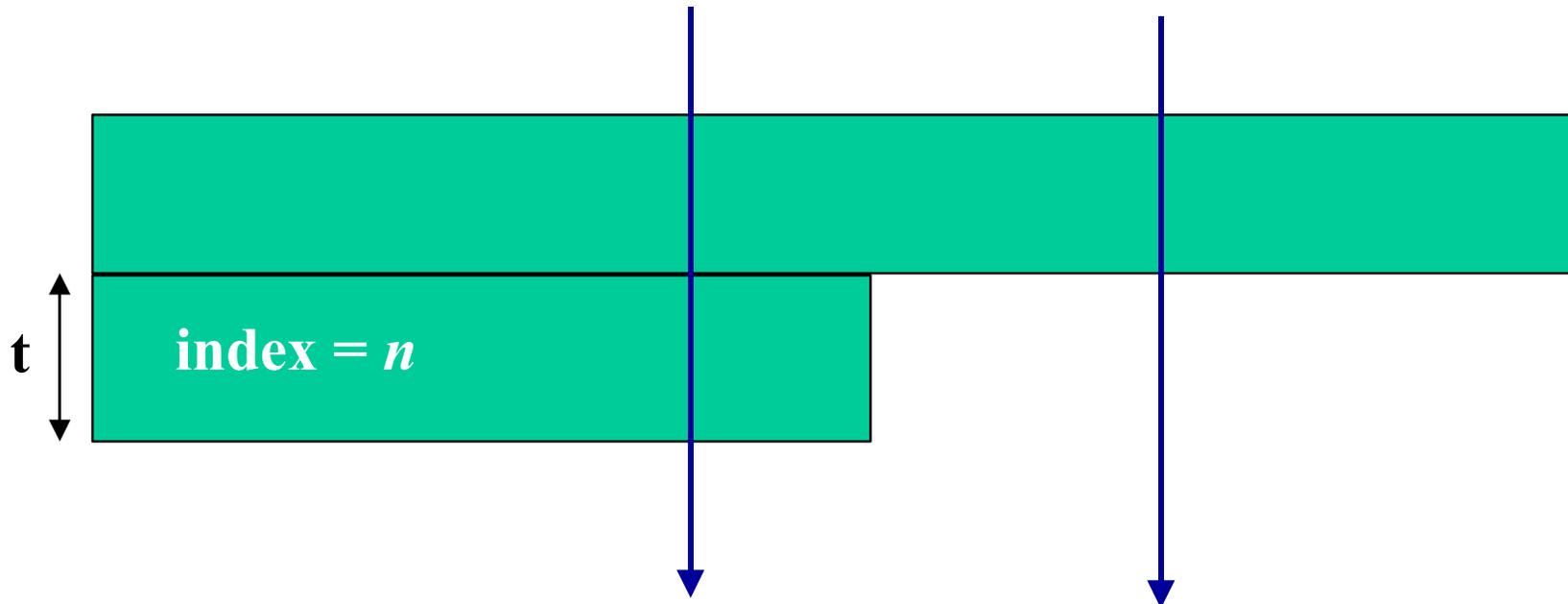
For a phase-shift mask, subtract either the primary term:

$$F \{m(x)\} = -T_P w_P \operatorname{sinc}(pnw_P) + 2T_A w_A \cos(2pn\Delta x) \operatorname{sinc}(pnw_A)$$

Or the secondary term:

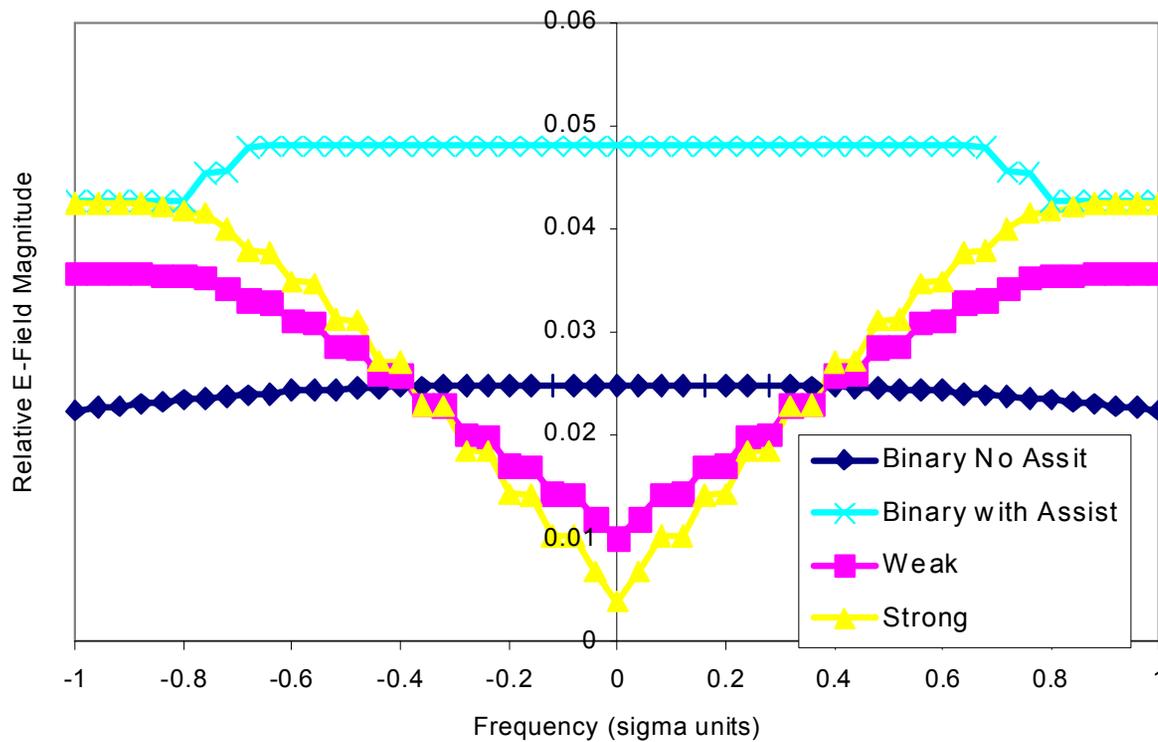
$$T_P w_P \operatorname{sinc}(\pi v w_P) - 2T_A w_A \cos(2\pi v \Delta x) \operatorname{sinc}(\pi v w_A)$$

# Making a "Phase-Shift"



$$\Delta f = 2p t(n - 1) / l$$

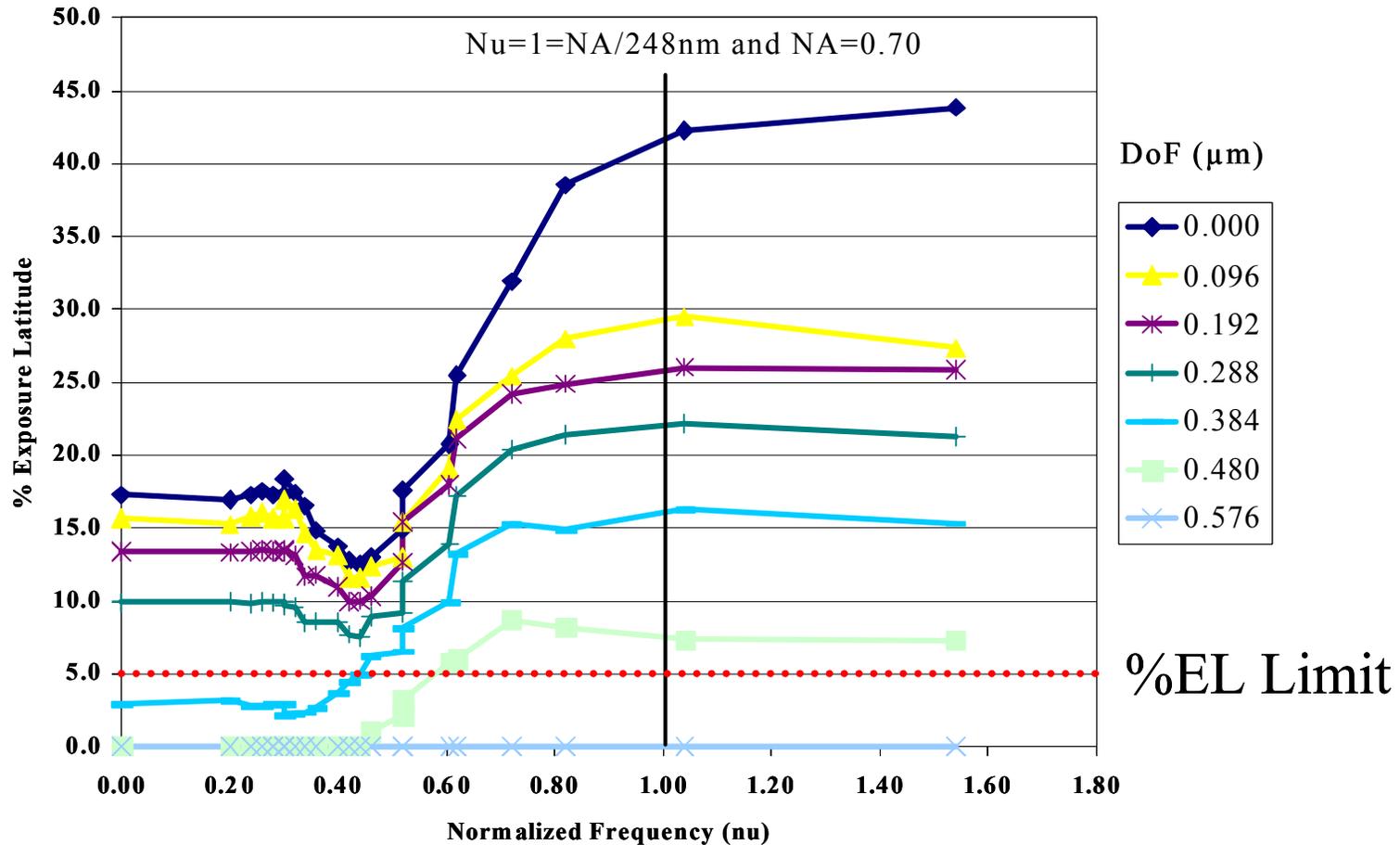
# 240 nm Diffraction Pattern, Various Masks



# Spatial Frequency

- ◆ Frequency at the center of each node is driven by  $\Delta x$ .
- ◆ The smaller this value, the greater the absolute frequency.
- ◆ Focus tolerance changes with the nodal position in frequency space.
- ◆ Following figure shows the exposure range around dose to size 130 nm isolated feature with respect to frequency for different depths of focus.

# Exposure Latitude vs. Depth of Focus



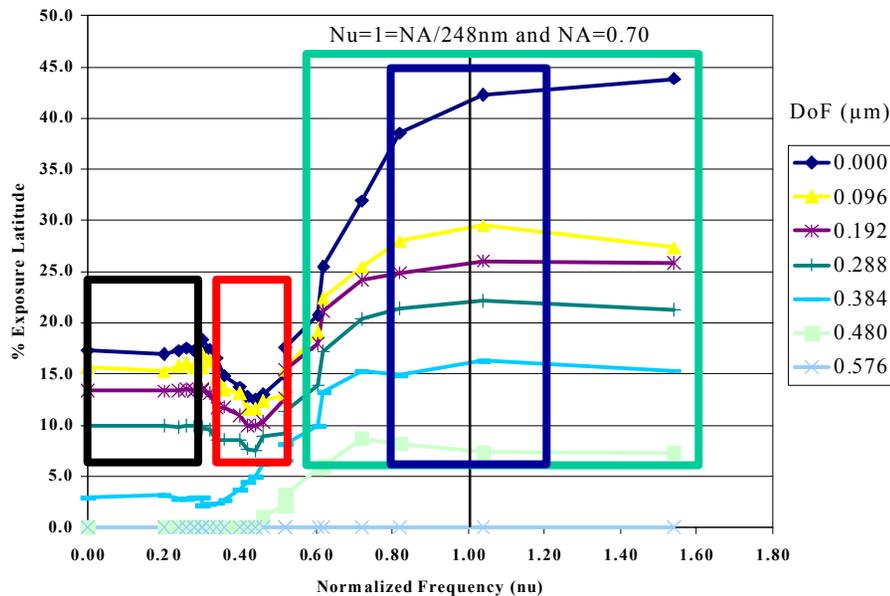
Lens Center



Lens Edge

# Exposure Latitude vs. Depth of Focus

- Generally, process is “production-worthy” if exposure latitude is  $\geq 5\%$  and has a focus tolerance of  $0.4 \mu\text{m}$  (0.70 NA tool, 248 nm  $\lambda$ , partial coherence of 0.3)



Frequency	Performance
0 to 0.3	Same as unmodified sinc(x); phase-shift doesn't help performance
0.3 to <0.6	Performance worse than no phase-shift
>0.6	Process becomes “production-worthy”
0.8 to 1.2	Optimum performance frequency; achieves maximum DOF

# Creating a Strong Shifter

Sum of complex transmittance and assist feature width cancel out electric field of primary feature; resulting amplitude at zero frequency = 0

For one set of assist features:  $T_P \cdot W_P = 2 \cdot T_A \cdot W_A$

Assists are placed close enough to primary to position Fourier transform side-lobes at frequencies  $> 0.6$  and less than or equal to:

$$v \leq \frac{(1 + \alpha \cdot \sigma) \cdot \Delta x \cdot NA}{\lambda}$$

Where

$\sigma$  = partial coherence

NA = numerical aperture, and

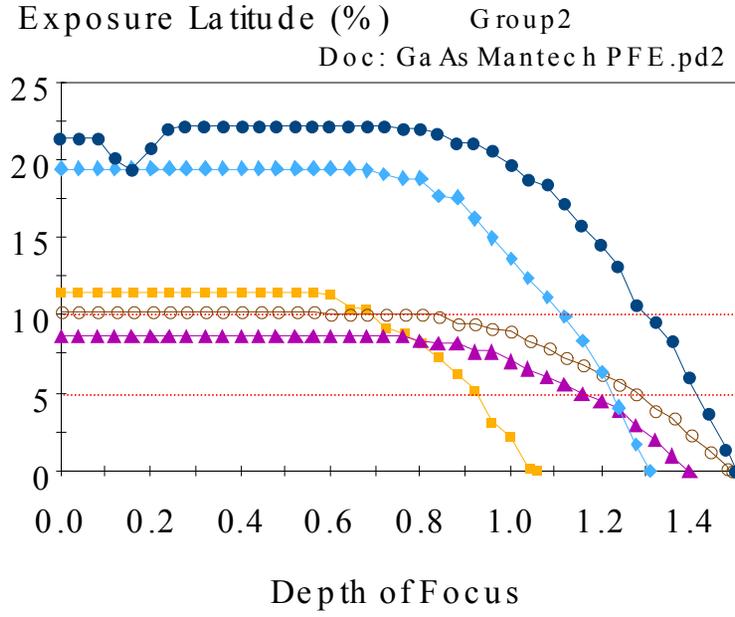
$\alpha$  = a factor  $> 1$  that accounts for side-lobe's width

# Creating a Strong Shifter

- ◆ Image forms when two lobes of modified  $\text{sinc}(x)$  function interfere at the image plane.
- ◆ Lobes are symmetric around the optical axis. Diffracted beams maintain uniform interference when equally aberrated, resulting in stable image size/shape in resist.
- ◆ If lobes were points with no radial distribution, depth-of-focus would be infinite. But they're not.
- ◆ However, DOF is still significantly better than that of unmodified  $\text{sinc}(x)$  functions or modified functions that have unbalanced electric fields.

# Exposure Latitude vs. DOF for 250 nm Isolated Space

Exposure Latitude vs. DOF



$\Delta x = 300$  nm  
 $T_A = 1.0$  for strong shift  
 0.5 for weak shift  
 $\Delta x = 632$  nm for binary w/assist

- Binary
- BASBA
- BASBQ
- Weak
- Strong

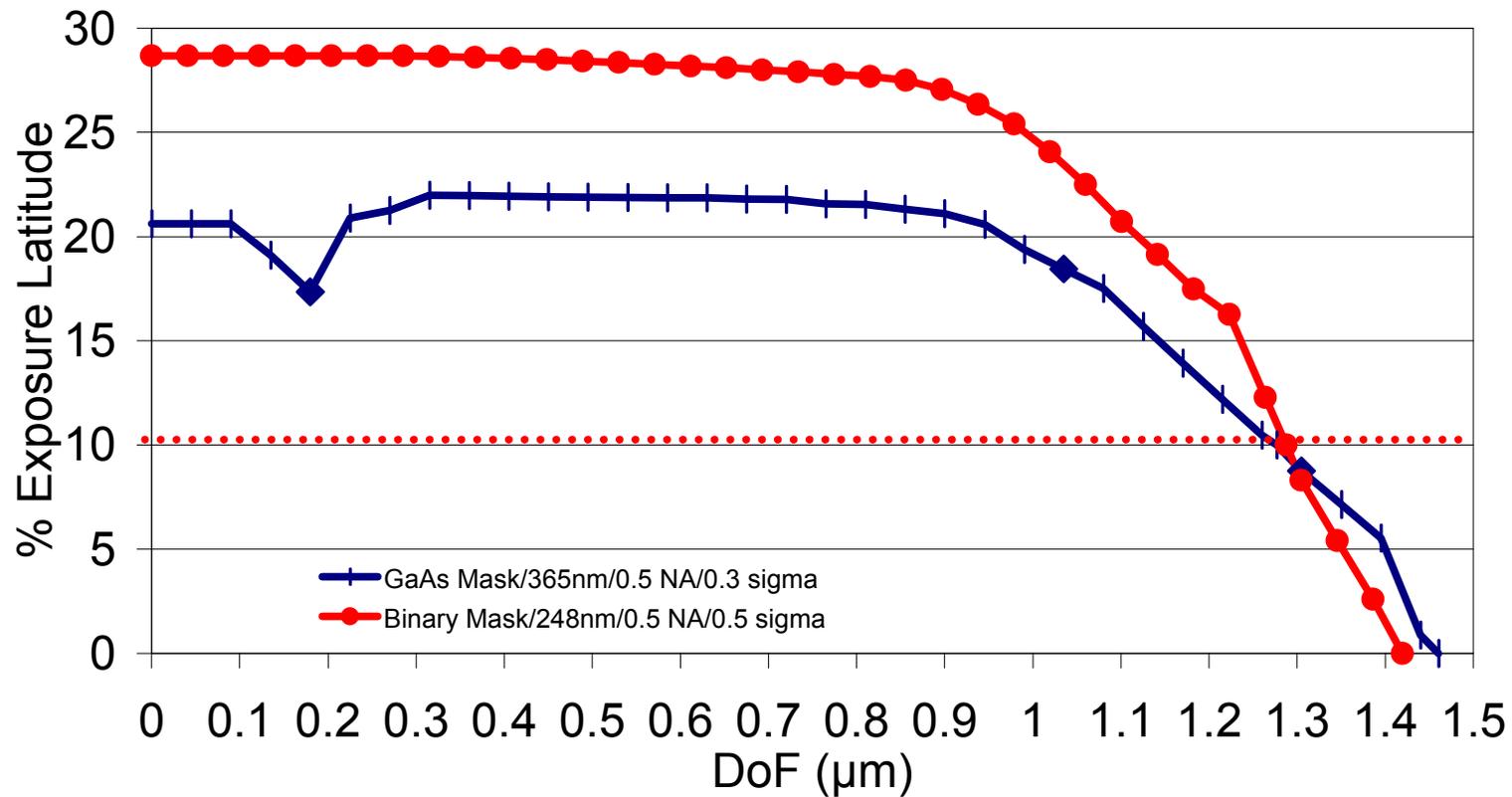
NA = 0.5  
 $\lambda = 365$  nm  
 $\sigma = 0.3$   
 Contrast = 23  
 Film thickness = 700 nm  
 Absorbance = 0.2 per micron  
 Diffusion length = 10 nm

# 250 nm Feature Exposure Latitude Summary Table (365 nm)

Mask Type	Illuminator	5% EL	DoF @ % ExpLat
Strong	0.3 sigma	1.4	1.25 @ 10%
Weak	0.3 sigma	1.2	1.0 @10%
Binary w/Assist	Quad (0.62/0.2)	1.3	0.8 @ 9.6%
Binary w/Assist	Annular (0.65/0.55)	1.2	0.6 @ 8.7%
Binary w/Assist	0.7 sigma	1.0	0.7 @ 10.4%

**Let's compare to 248 nm:**

# Comparison of 248nm Binary Mask and 365nm GaAsMask



LPM 23 contrast, 700 nm resist, 10nm diffusion length

# Conclusions

- ◆ Optical RET can yield 365 nm lithography of discrete isolated features to form 250 nm devices.
- ◆ For 248 nm lithography, 130 nm and smaller features are possible.
- ◆ GaAsMask has largest process window of the dark-field techniques examined.
- ◆ Choice of process will depend on manufacturer's process budget, and adaptability of exposure tools. Older tools could benefit from GaAsMask technology.

# Acknowledgements

Chris Mack, FINLE Technologies, a division of KLA-Tencor

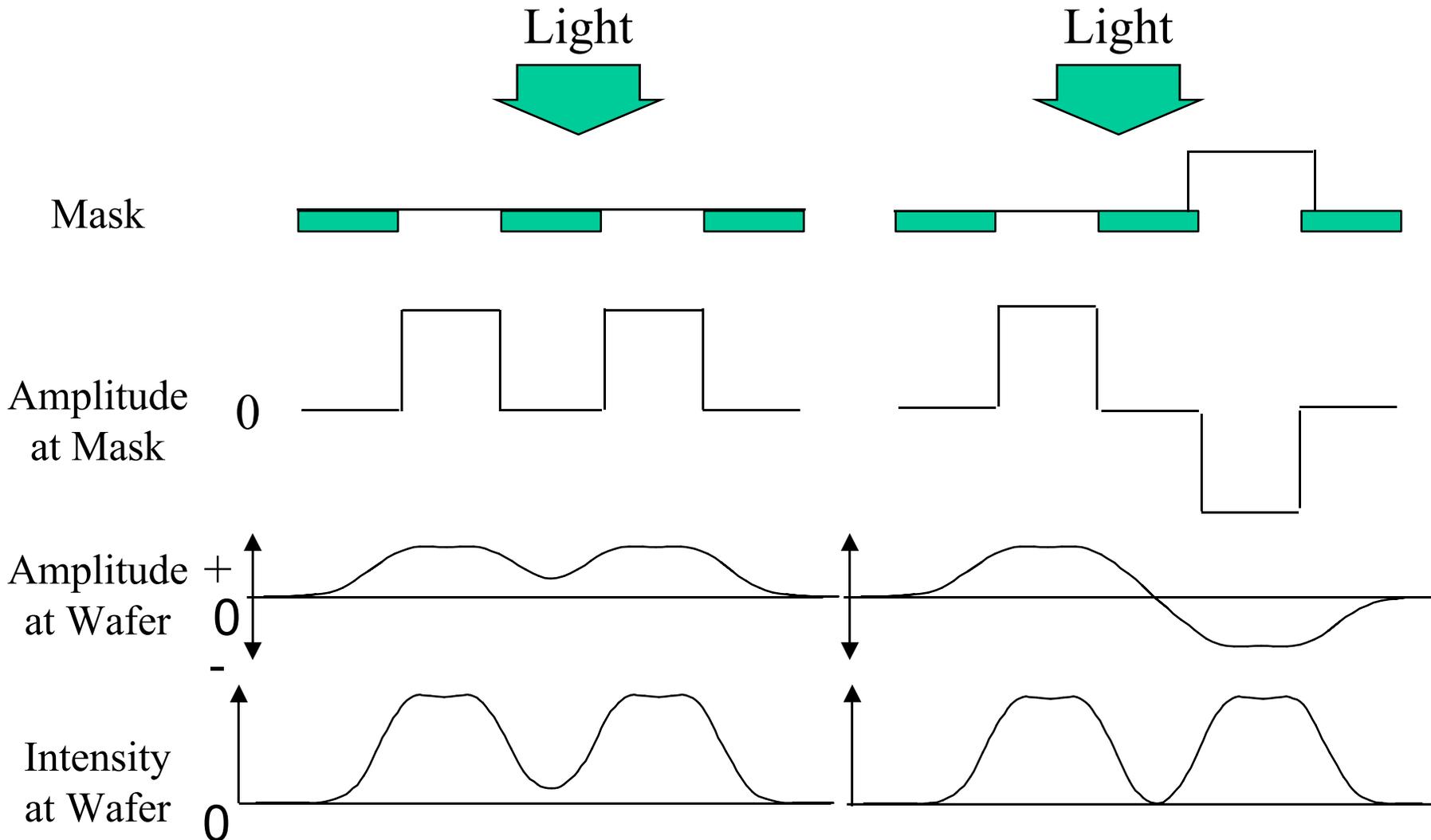
Fung Chen, ASML MaskTools

Patrick Reynolds, Benchmark Technologies

# Resolution Enhancement Trek

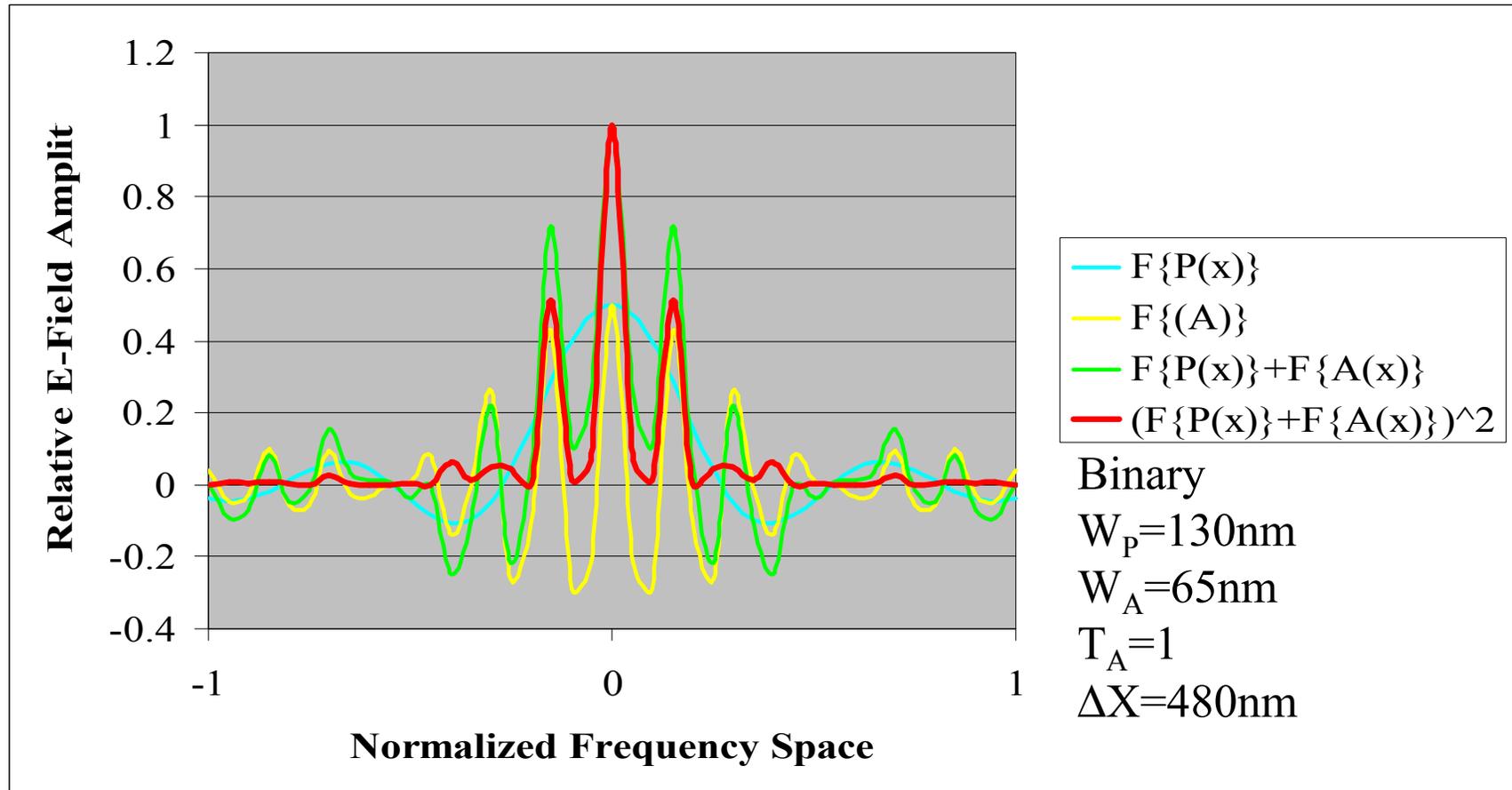


# Phase-Shift Mask Concept



M. Levenson, *Physics Today*, pp. 28-36, July, 1993.

# Dark Field Isolated Space: Binary



# Isolated Space: Shifted

